

# Quantifier Particles and Compositionality

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In many languages, the same particles that build quantifier words serve as connectives, additive and scalar particles, question markers, existential verbs, etc.

<i>every(one), every, both, as well as, too, even, ...</i>	-mo	<i>mind is</i>
<i>some(one), some, or, whether, at least/about, there is, I wonder, ...</i>	-ka	<i>vala/vagy/vaj-e</i>

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-mo	mind is
-ka	vala/vagy/vaj- -e

Are these particles “the same” across the varied environments?  
If so, what is their stable meaning?

Allomorphy and suppletivism in particles are in the background, but not discussed today.

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## A sampler from Hungarian

*ki*

who, “indeterminate pronoun”

<i>vala-ki</i> someone	<i>X vagy Y</i> X or Y	<i>vagy száz</i> about 100
<i>val-ó</i> be <sub>3</sub> -ing	<i>vagy-on (&gt;van)</i> be <sub>3</sub> indicative	<i>vaj-j-on</i> let be <sub>3</sub> : I wonder
<i>mind-en-ki</i> everyone	<i>mind X mind Y</i> X as well as Y <i>X is (és) Y is</i> X as well as Y	<i>Ti mind VP.</i> you all VP <i>X is</i> X too
<i>se-n-ki</i> no one	<i>se X se Y</i> neither X nor Y	<i>X se</i> nor X    NC items

Japanese *ka*  
somewhat similar to *vala/vagy*

<i>dare-ka</i>	‘someone’
gakusei-no <i>dare-ka</i>	‘some student’ (=one of the ...)
hyaku-nin-to- <i>ka</i> -no gakusei	‘some 100 students’ (=approximately)
Tetsuya- <i>ka</i> Akira(- <i>ka</i> )	‘Tetsuya or Akira’
<i>Dare</i> -ga odorimasu <i>ka</i>	‘Who dances?’
Akira-ga odorimasu <i>ka</i>	‘Does Akira dance?’

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Japanese *mo*  
somewhat similar to *mind*

<i>dare-mo</i>	‘everyone <sub>HLL</sub> /anyone <sub>LHH</sub> ’
<i>dono</i> -hito- <i>mo</i>	‘every/any person’
hyaku-nin- <i>mo</i> -no gakusei	‘as many as 100 students’
Tetsuya- <i>mo</i> Akira- <i>mo</i>	‘Tetsuya as well as Akira’
Tetsuya- <i>mo</i>	‘too/even Tetsuya’

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## Questions about KA-style and MO-style particles

- Do the roles of each particle form a natural class?  
If yes, what is the **unifying syntax/semantics**?
- Are the particles **aided by additional elements**, overt or covert, in fulfilling their varied roles?  
If yes, what are those elements?

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## A promising perspective: MO is meet, KA is join

**Everyone** dances iff  
 Kate dances, **and** Mary dances, **and** Joe dances  
**Someone** dances iff  
 Kate dances, **or** Mary dances, **or** Joe dances

- Universal quantification and conjunction are special cases of lattice-theoretic **meet** (glb).
- Existential quantification and disjunction are special cases of lattice-theoretic **join** (lub).

(Gil, Haspelmath, Jayaseelan, Szabolcsi 2010: Ch 12)

## Alternative Semantics for the signature environments of KA

- *whether* Joe dances ^ just for brevity  
 $\{p: p = \wedge \text{dance}(j) \vee p = \wedge \text{not-dance}(j)\}$   
 same as  $\{\wedge \text{dance}(j), \wedge \text{not-dance}(j)\}$
- *who* dances  
 $\{p: \exists x. p = \wedge \text{dance}(x)\}$   
 same as  $\{\wedge \text{dance}(k), \wedge \text{dance}(m), \wedge \text{dance}(j)\}$
- *Kate dances, or Mary dances, or Joe dances*  
 $\{\wedge \text{dance}(k), \wedge \text{dance}(m), \wedge \text{dance}(j)\}$
- *Someone dances*  
 $\{\wedge \text{dance}(k), \wedge \text{dance}(m), \wedge \text{dance}(j)\}$

versus singletons: *Kate dances, Everyone dances, etc.*

## View updated, using Alternative Semantics and Inquisitive Semantics

- An **inquisitive proposition** presents a set of multiple alternatives (or, rather, the join of the powersets of such alternatives);
- A **non-inquisitive proposition** presents a singleton set of alternatives (or, rather, a single such powerset).
- **Conjunction and disjunction** re-emerge as Heyting-algebraic meet and join of propositions.

We now have contemporary linguistic analyses, and can still claim: MO is meet, and KA is join.



## The Problem, 1

A-MO B-MO John-MO Mary-MO `John as well as Mary'  
 A-KA B-KA John-KA Mary-KA `John or Mary'  
 John ran-KA not-KA `whether or not John ran'

If MO is  $\cap$  and KA is  $\cup$ ,  
 they should not occur **more than once** in  
 `A  $\cap$  B' and `A  $\cup$  B'.

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## The Problem, 2

A-MO John-MO `John too'  
 A-KA 100-KA `approx. 100 m'  
 John ran-KA `whether John ran'

Moreover, if MO is  $\cap$  and KA is  $\cup$ ,  
 they should not occur with a **single "junct"**  
 (that does not even contain a variable).

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### A-MO/KA B-MO/KA

A-mo B-mo hashitta  
 A is, B is elszaladt  
 i A, i B ubezhal  
 'A as well as B ran away'

A-hari B-hari ... giyā  
 'A or B ... went'  
 A-də B-də ... giyē  
 'Did A go, or did B?'

... prishla-li Eva ili net  
 ... megjött-e Éva vagy nem  
 'whether or not Eve came'

J J  
 H H  
 R R  
  
 S H  
 S D  
  
 R R  
 H H

### A-MO/KA

A-mo hashitta  
 A is elszaladt  
 i A ubezhal  
 'A, too, ran away'

Van vagy 100 méter  
 'It's about 100 m'  
 Neem een Chomsky  
 'Take e.g. Chomsky'

... prishla-li Eva  
 ... megjött-e Éva  
 'whether Eve came'

- So, MO is not  $\cap$ , and KA is not  $\cup$ .

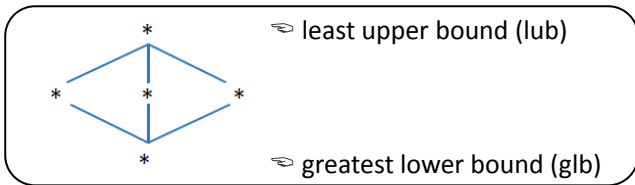
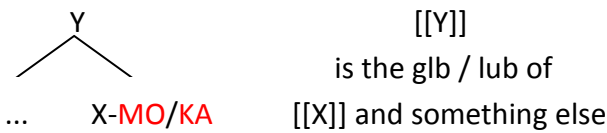


We re-assess the insight:

- MO and KA occur precisely in contexts that are the least upper bound / greatest lower bound of the contribution of the host of MO/KA and something else.



### MO and KA impose semantic (ordering) requirements on the immediate context



### Step 1: Kobuchi-Philip 2009 on mo

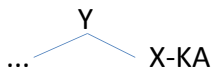
(gakusei-ga) John-mo hashitta additive presupposition  
 '(Among the students,) John, too, ran'

(gakusei-ga) John-mo Mary-mo hashitta reciprocally satisfy prssp  
 '(Among the students,) John as well as Mary ran'

(gakusei-ga) dono-hito-mo hashitta reciprocally satisfy prssp  
 '(Among the students,) every person ran'

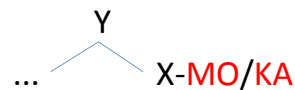
- MO imposes an additive presupposition (a postsupposition, more precisely).
- The hosts of the multiple occurrences of MO mutually satisfy the requirements of each other's particles.

### Step 2: My proposal for KA, roughly,



- KA's requirement:  $[[X]] < [[Y]]$  where  $[[X]]$ ,  $[[Y]]$  are sets of alternatives.
- The alternatives introduced by KA's host X must be preserved and boosted in the immediate context Y (see slide 29).
- The hosts of the multiple occurrences of KA mutually satisfy the requirements of each other's particles.

### The general picture



- MO's requirement is trivially satisfied if  $[[Y]]$  is the meet (glb) of  $[[X]]$  and something else.
- KA's requirement is trivially satisfied if  $[[Y]]$  is the join (lub) of  $[[X]]$  and something else.
- MO and KA **do not** perform meet/join operations. **Who does, then?**

## Winter's bullet and silent MEET

Winter 1995, 1998

- $A \text{ and } B = A \bullet B = \langle A, B \rangle$  *And* merely forms pairs.
- Pairs grow pointwise (much like Hamblinian alternatives).
- At some point silent MEET applies, creating the illusion that *and* scopes there.
- *And* can also be silent (asyndetic conjunction).
- In contrast, OR is cross-linguistically almost never silent (no asyndetic disjunction).

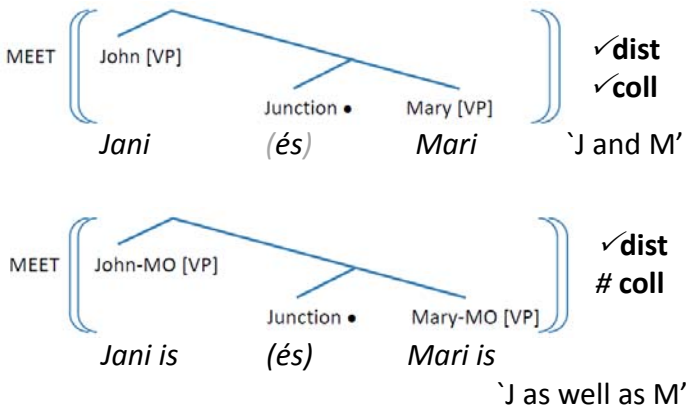
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## Step 3: Modify Winter

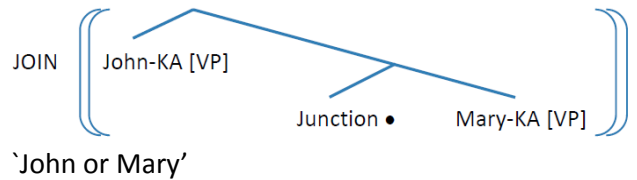
- Identify *and* or its silent counterpart, interpreted as Winter's  $\bullet$ , as den Dikken's 2006 J(unction). Delimit the pointwise growth of pairs.
- Replace Winter's plain Boolean MEET with Dekker's 2012 order-sensitive MEET, which interprets the 2<sup>nd</sup> conjunct strictly in the context of the 1<sup>st</sup>.
- Recognize order-sensitive MEET as the default operation on pairs, cf. text-level sequencing.
- Abandon Winter's treatment of *or*; add silent JOIN.

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## Pairs with MEET



## Step 4: Add silent JOIN



$$\text{JOIN}(\langle \{^{\wedge}\text{vp}(j)\}, \{^{\wedge}\text{vp}(m)\} \rangle) = \{^{\wedge}\text{vp}(j), ^{\wedge}\text{vp}(m)\}$$

- Which silent operation applies to a given pair?
- If KA is present, its  $[[X]] < [[Y]]$  requirement forces JOIN.

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Cross-linguistically,  
KA is mandated in disjunctions,  
but not in wh-questions or indefinites

Hans Gretchen                      *Wer MAG was?*  
# `Hans or Gretchen'              `Who likes something?'

- For pairs, MEET is the default. KA is needed to trigger JOIN. Elsewhere, MEET applies.
- Where JOIN is the default or there is no default, presence of KA is cross-linguistically variable.
- MO forces MEET as a by-product of its main mission, viz. introducing an additive postsupposition and making the construction irrevocably distributive.

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## J(unction) in complex connectives

- *Jani is* DP-MO      *és/∅*      *Mari is* DP-MO      `J as well as M'
- *arma(que)* DP(-MO)      *∅*      *virum-que* DP-MO      Mitrović 2012, 2013  
`arms and a man'
- *ad vim* PP-MO<sub>∅</sub>      *at-que* J-MO      *ad arma* PP-MO<sub>∅</sub>      `to force and to arms'
- *Boban* DP-KA<sub>∅</sub>      *i - li* J-KA      *Zoran* DP-KA      Arsenijević 2011, Mitr. 2013  
`Boban or Zoran'
- *Jani* DP-KA<sub>∅</sub>      *∅-vagy* J-KA      *Mari* DP-KA      `J or M'

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## Remainder of discussion

Explore KA in indefinites, wh-questions, and alternative questions.

Define  $[[X]] < [[Y]]$  “preserve and boost” in terms of Inquisitive Semantics:

$[[X]] < [[Y]]$  iff every possibility in  $[[X]]$  is a possibility in  $[[Y]]$ , and  $[[Y]]$  contains a possibility that was excluded in  $[[X]]$ .

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## KA in indefinites and wh-questions

Unary KA with no variable in host:

hyaku-nin-to-ka                    `some 100 = 100 or a number  
valami 100 / vagy 100            in the vicinity of 100'

Unary KA with variable in host:

dare-ka odorimasu                `Someone dances'  
dare-ga odorimasu-ka            `Who dances?'

Vala-ki táncol.

Ki táncol?

$\bigvee \{ \wedge \text{dance}(x) : x \in \text{person} \}$

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## Alternative questions

- (a) Alszik? ↗                    `Is he asleep?'  
(b) Alszik vagy nem?            `Is he asleep, or not?'  
(c) Alszik-e? ↘                    `Is he asleep-KA?'  
(d) Alszik-e vagy nem?            `Is he asleep-KA or not?'

Kíváncsi vagyok, hogy            `I am curious SUBORD ...'

- (a') \* ... alszik.  
(b') ... alszik vagy nem.  
(c') ... alszik-e.  
(d') ... alszik-e vagy nem.

same patterns  
with tea/kávé

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## KA in alternative questions

- Only *Alszik?* ↗ is a polarity question (Krifka 2001).
- Polarity questions are a main clause phenomenon.
- Interpreted via the Inquisitive Semantic ? operator.
- -e is a KA-particle (etymol. unrelated to *vala/vagy*).
- -e requires  $[[XP]] < [[YP]]$ .
- In (c, c') the only possible exclusive alternative is “accommodated” [bad label].
- (b,b'), (c,c'), (d,d') are disjunctions. They contain either one KA (-e or *vagy*) or two (-e and *vagy*).

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## How to define KA's requirement?

- $[[X]] < [[Y]]$  must ensure that the “alternatives” of KA's host X are “preserved” and “boosted”.
- Approve  $[[Y]] = \text{JOIN}([[X]], [[Z]])$  and possibly also  $[[Y]] = ((\text{JOIN}([[X]], [[Z]]))^*)^*$  i.e. one-fell-swoop non-inquisitive join (as satisfiers of KA).
- Exclude shrinking,  $[[Y]] = \text{MEET}([[X]], [[Z]])$  and endogamy,  $[[Y]] = ((([X]))^*)^*$  (as satisfiers of KA).
- $[[X]] < [[Y]]$  iff every possibility in  $[[X]]$  is a possibility in  $[[Y]]$ , and  $[[Y]]$  contains a possibility that was excluded in  $[[X]]$ .
- This definition is needed if propositions are downward closed; derives Hurford's Constraint.

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## Summary

- KA and MO style quantifier particles in their various roles have stable meanings, but they do not perform join or meet.
- The particles impose requirements on the purely semantic contents of their immediate contexts.
- When multiple particles occur, each carries the same requirement, and the hosts mutually satisfy the requirements of each other's particles.
- The particles are aided (at least) by a pair-forming J, silent JOIN, silent order-sensitive MEET (plus non-inquisitive closure, and speech-act operators).
- For the moment I'm pretending that all particles are sentential adjuncts.

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## Pocket Inquisitive toolkit (after Roelofsen 2012)

A **proposition** is a non-empty downward closed set of possibilities. A **possibility** is a set of worlds.

$[\phi] = [[\text{John runs}]] = \text{POW}\{w: \text{run}_w(j)\}$

The informative content of  $\phi$ , **info**( $\phi$ ) =  $U[\phi]$

**Meet**:  $A \cap B$ . **Join**:  $A \cup B$ . **Psd-cmp**:  $A^* = \{\beta: \text{disjoint}(\beta, UA)\}$ .

$A \cap A^* = \perp$ , but  $A \cup A^*$  may not be T. Heyting-algebra.

$\phi$  is **informative** iff  $\text{info}(\phi) \neq W$ ; excludes something in  $W$ .

$\phi$  is **inquisitive** iff  $\text{info}(\phi) \neq [\phi]$ ; has >1 maximal possibility.

A maximal possibility is an **alternative** in the AltS sense.

Non-inquisitive closure: **[! $\phi$ ]** =  $([[\phi]]^*)^* = \text{POW}(\text{info}(\phi))$

Non-informative closure: **[? $\phi$ ]** =  $[\phi] \cup [\phi]^*$

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## KA satisfied in **[[Y]]**

- KA in inquisitive disjunction  
 $[[Y]] = \text{JOIN} ([[KA(\text{Mary runs})]], [[\text{Kate runs}]])) = \text{POW}\{w: \text{run}_w(m)\} \cup \text{POW}\{w: \text{run}_w(k)\} = \{\emptyset, \{m \rightarrow k\}, \{mk\}, \{m \rightarrow k, mk\}, \{k \rightarrow m\}, \{k \rightarrow m, mk\}\}$
- KA in disjunction subsequently de-inquisitivized  
 $[[Y]] = ((\text{JOIN} ([[KA(\text{Mary runs})]], [[\text{Kate runs}]]))^*)^* = \text{POW}\{w: \text{run}_w(m) \vee \text{run}_w(k)\} = \{\emptyset, \{m \rightarrow k\}, \{mk\}, \{m \rightarrow k, mk\}, \{k \rightarrow m\}, \{k \rightarrow m, mk\}, \{m \rightarrow k, k \rightarrow m\}, \{m \rightarrow k, k \rightarrow m, mk\}\}$

Both preserve all possibilities in  $[[\text{Mary runs}]]$ , and add a possibility excluded in  $[[\text{Mary runs}]]$ , e.g.  $\{k \rightarrow m\}$  = only Kate runs.

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## KA not satisfied in **[[Y]]**

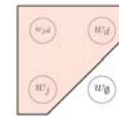
- KA in conjunction  
 $[[Y]] = \text{MEET} ([[KA(\text{Mary runs})]], [[\text{Kate runs}]])) = \text{POW}\{w: \text{run}_w(m) \wedge \text{run}_w(k)\} = \{\emptyset, \{mk\}\}$   
 MEET eliminates  $\{m \rightarrow k\}$  from  $[[\text{Mary runs}]]$ . Shrinking.
- KA right under non-inquisitive closure, cf. **[! $\phi$ ]** =  $([[\phi]]^*)^*$   
 $[[Y]] = ((([KA(\text{Mary runs or Kate runs})])^*)^*)^* = ((\text{POW}\{w: \text{run}_w(m)\} \cup \text{POW}\{w: \text{run}_w(k)\})^*)^* = \{\emptyset, \{m \rightarrow k\}, \{mk\}, \{m \rightarrow k, mk\}, \{k \rightarrow m\}, \{k \rightarrow m, mk\}, \{m \rightarrow k, k \rightarrow m\}, \{m \rightarrow k, k \rightarrow m, mk\}\}$

Non-inq. closure preserves the possibilities in  $[[\text{Mary runs}]]$ , but all new alternatives are joins of old ones. Endogamy.

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**[[X]] < [[Y]]** iff every possibility in **[[X]]** is a possibility in **[[Y]]**, and **[[Y]]** contains a possibility that was **excluded in [[X]]**.

$[[\text{Mary or Kate runs}]] \subset [[!(\text{Mary or Kate runs})]]$



if **[[!  $\phi$ ]]** is powerset

Hence my **<**, defined w.ref.to **exclusion**. Seems like an artifact, but it derives **Hurford's Constraint**:

\*A or B, if A entails B or conversely

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## **!** in indefinites and disjunctions

**Hung. *vala/vagy* is not particularly inquisitive**

- not a "question marker" (unlike J. *ka*, S. *dā*)
- not much epistemic uncertainty (unlike S. *dā*)
- stem of existential verb (like S. *hō*)
- need **!**, maybe even one-step **! $\vee$** .

**Bill saw Joe or some girl, but I forget who/which**

ok `whether Bill saw Joe or Bill saw some girl'

- won't suffice:  $[\phi\_joe] \cup [\phi\_kate] \cup [\phi\_mary]$
- needed:  $[\phi\_joe] \cup (([\phi\_kate] \cup [\phi\_mary]))^*)^*$

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Attach **!** to the scopes of externally static operators, but not to all CP boundaries

**Bill didn't invite Kate or Mary, but I forget which**

# `didn't invite **!(Kate or Mary)**'

ok `didn't invite Kate or didn't invite Mary'

**Bill thinks that they hired Kate or Mary, but I forget which [Bill thinks that they hired]**

ok `Bill thinks that they hired Kate or he thinks that they hired Mary'

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